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# FORMATION OF BASIC PARAMETERS AREAS OF TRANSPORT AIRCRAFT MODIFICATIONS UNDER CONDITIONS OF ITS BASING

Along with the unique flight performance indicators and economic indicators that characterize heavy transport aircraft, the priority is also to ensure the basing for their heavier modifications at the airfields declared for the base aircraft. This problem arises at the very early stage of the modification creation, when its main parameters such as the gross

mass at takeoff  $\binom{m}{0}$  and thrust-to-weight ratio  $\binom{t_0^m}{0}$  are formed. This is due to the very essence of creating a modifi-

cation - increasing its carrying capacity (which leads to increase in the gross mass at takeoff  $m_0^m$  and flight range  $(L^m)$ ) with an increased payload  $(m_{cl}^m)$  by increasing the mass of fuel on board. Ensuring growth of flight  $(m_{pl}^m L^m)$ 

and hour  $(m_0^m V_{cr})$ , performance underlies the creation of all modifications of transport category aircraft. For heavier

modifications than their base aircraft, it is further complicated by the fact that the base models are based on the runways of the second and first class airfields, which creates an insurmountable limitation on the available runway length. The second limitation is the value of the decision-making speed  $(V_1)$  during takeoff, in case of failure of the critical engine during the takeoff run, which predetermines the required length of the runway. Since the takeoff masses of aircraft modifications of this type continue to increase, the problem of their basing on the runways of existing airfields arises by forming the takeoff weight relationship  $\binom{m}{0}$  – decision-making speed in case of a

critical engine failure  $(V_1^m)$  - thrust-to-weight ratio  $(t_0^m)$ , providing the basing of a heavier modification at

the airfield declared for the base aircraft  $\left(L_{RWY}^{m} = L_{RWY}^{b}\right)$ . To implement this condition, a model for determin-

ing the speed  $(V_1^m)$ , in which a safe termination of the takeoff run is possible in the event of a critical engine failure. The resulting model allows to take into account a number of restrictions due to the properties of heavy

aircraft, such as the minimum and maximum thrust of the cruise engines, which makes it possible to make reasonable recommendations in the operating rules for aircraft of this type. Taking into account the expressions  $\frac{1}{2}$ 

obtained to determine  $(V_1^m)$ , a model has been formed to determine and assess the required thrust-to-weight

ratio of a heavier modification  $(t_0^m, (m_0^m, V_1^m))$  by condition  $(L_{RWY}^m = L_{RWY}^b)$  for modifications with a takeoff weight of more than 300 tons. It has been established that the required relative thrust-to-weight ratio should be within  $(0 < \overline{t_0} \le 1.26)$ . Defining parameters such as  $m_0^m$ ,  $V_1^m$  and  $t_0^{-m}$  is the basis for the implementation of other modification changes in the heavy transport aircraft.

**Keywords:** heavy transport aircraft; modifications; decision-making speed; thrust-to-weight ratio; basing conditions; landing performance.

### Introduction

The basing condition of a heavy transport aircraft is understood as the required length of the runway, on which modifications of this type of aircraft can be regularly operated in terms of takeoff run length, landing run length and under conditions of aborted takeoff in the event of a critical engine failure [1, 2].

When creating a modification heavier than the

base aircraft, to ensure acceptable takeoff and landing characteristics is a priority.

In paper [3], the influence of the takeoff distances  $(L_{tor})$  during takeoff on selection of the main parameters of the modification during their design  $(\bar{m}_0^m, t_0^{-m} = f(L_{tor}))$  has been studied.

But in addition to the takeoff and landing run lengths, the LTC (landing and takeoff characteristics)

concept also includes the rejected takeoff distance, i.e. the required runway length required to ensure the safe termination of takeoff in the event of a critical engine failure (Fig. 1) [4, 5].



B-747-400 – aircraft mass has been increased by 8.9 % relative to base model B-747-600 – aircraft mass has been increased by 31.9 % relative to base model **a** 



A340-300 – aircraft mass has not been changed relative to base model A340-500 – aircraft mass has been increased by 32.7 % relative to base model A340-600 – aircraft mass has been increased by 38.2 % relative to base model **b** 



Since heavy transport aircraft are already based on class B airfields, for heavier modifications ensuring their basing on existing airfields becomes even more urgent and pushes for a decision.

#### **Research problem statement**

Since the required length of the runway for transport category aircraft is predetermined by the conditions of rejected takeoff, the task of this study is to develop models for the formation of areas of required values of the gross mass at takeoff  $(m_0)$  and thrust-to-weight ratio  $(t_0)$  of modifications of a heavy transport aircraft according to available runway lengths  $(L_{RWY})$  of home airfield.

### **Evaluation of Decision-Making Speed** Variation in Rejected Takeoff Conditions

An important parameter of the rejected takeoff is the value  $(V_1)$ , i. e, the speed of decision to reject the takeoff run (Fig. 2).

The decision-making speed is set in the Flight Manual (FM) [6, 7] and must be greater than or equal to the minimum involutive takeoff speed  $(V_{min \text{ oto}})$ , at which, in the event of critical engine failure, aircraft is controlled with the help of aerodynamic controls to maintain rectilinear motion, and is also less than or equal to the rotating speed of the nose landing gear,

which is also due to the requirements of the Airplane Flight Manual  $(V_1 \ge V_{nlg})$ .



Fig. 2. Decision-Making Speed (V<sub>1</sub>) in Case of Failure of Critical Engine during Takeoff

$$L_{\text{RTOD}} = L_{0 \to V_{\text{f}}} + L_{V_{\text{f}} \to V_{\text{l}}} + L_{V_{\text{l}} \to 0}, \qquad (1)$$

$$L_{\text{RCTOD}} = L_{0 \to V_f} + L_{V_f \to V_l} + L_{V_l \to V_f}, \qquad (2)$$

where  $L_{0 \rightarrow V_f}$  – the length of the takeoff run with all engines running from start to the moment of critical engine failure at speed  $V_f$ ;

$$\begin{split} L_{V_f \rightarrow V_l} & - \text{ the length of the acceleration portion} \\ \text{with one inoperative engine and, during normal operation of the rest ones, to the decision-making speed;} \end{split}$$

 $L_{V_1 \rightarrow 0}$  – the length of the braking portion with one engine inoperative (from speed to complete stop);

 $\begin{array}{ll} L_{V_1 \rightarrow V_{1o}} & - \mbox{ the length of the acceleration portion} \\ \mbox{with one inoperative engine and during normal operation} \\ \mbox{of the rest ones from speed } V_1 \mbox{ up to liftoff speed } V_{1o} \ . \end{array}$ 

To determine  $V_1$  the available rejected takeoff distance  $(L_{ARTOD})$  (1) reduced by the length of runwayend safety area  $(L_{RSA})$  should be equated to the required distance of the completed takeoff run  $(L_{RTOD})$  (2).

As a result of this operation, we get

$$L_{V_1 \to V_f} = L_{V_1 \to 0} - L_{RSA}.$$
 (3)

Using the integral equation to determine the take-off run

$$\begin{split} L_{tor} &= \frac{1}{2g} \int_{0}^{V_{10}^{2}} \frac{dV^{2}}{t_{0} - f_{r} - \frac{\rho_{0}S_{w}V^{2}}{2m_{0}} \left(C_{xtor} - f_{r}C_{ytor}\right)}, (4) \\ \text{where } V_{1o} &= \sqrt{\frac{2m_{0}}{\rho_{0}C_{ytor}S_{w}}}, \end{split}$$

we transform condition (3) to the following form:

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$$\frac{V_{lo}^{2} - V_{l}^{2}}{2g\left[K_{1}\left(1 - \frac{1}{n_{e}}\right)t_{0} - f_{r} - \frac{\rho_{0}C_{xtor}S_{w}}{6m_{0}}\left(\frac{V_{lo}^{3} - V_{l}^{3}}{V_{lo} - V_{l}}\right)\right]} =$$

$$= \frac{K_{2}V_{l}^{2}}{2g\left[K_{1}\left(1 - \frac{1}{n_{e}}\right)r_{rev}t_{0} - f_{red} - \frac{\rho_{0}C_{xr}S_{w}}{6m_{0}}V_{l}^{2}\right]} - L_{RSA},$$
(5)

where n<sub>e</sub> - number of engines;

C<sub>xtor</sub> - drag coefficient during takeoff run;

 $K_2$  – coefficient taking into account the time for the pilot to make a decision and the time of engaging the aircraft braking devices;

 $r_{rev}$  – coefficient of engine reverse thrust-to-forward thrust ratio;

 $f_r$  – reduced coefficient of friction of wheels during mileage (mean value),

$$f_{red} = \chi \cdot \left[ \frac{\overline{l}_{n lg} \cdot f_{f} + \overline{l}_{m lg} \cdot f_{r}}{1 + \overline{h}_{lg} \left( f_{f} - f_{r} \right)} \right], \tag{6}$$

where  $\chi = 0.75...0...0.95$  - coefficient depending on the quality (in particular on the inertia) of the anti-skid automatic braking machine for the main wheels of landing gear; with brake nose wheels  $f_{red} = \chi \cdot f_f$ .

 $f_{\rm f}$  – coefficient of friction of main landing gear braked wheels;

$$l_{n lg} = l_{n lg} / l_{lg}$$
,  $l_{m lg} = l_{m lg} / l_{lg}$ ,  $h_{lg} = h_{lg} / l_{lg}$ , -  
the linear dimensions of nose  $l_{n lg}$  and main  $l_{m lg}$  land-  
ing gear struts offset from the aircraft center of mass  
relative to the wheelbase  $(l_{lg})$ ,

 $h_{lg}$  - the linear dimension from the aircraft center of mass to the runway surface.

To study the modifications, we introduce into consideration the relative values:

$$\begin{split} \overline{t}_{0} &= t_{0} \big/ t_{0}^{b} \,, \ \overline{V}_{lo}^{2} = V_{lo}^{2} \big/ \Big( V_{lo}^{b} \Big)^{2} \,, \\ \overline{m}_{0} &= m_{0} \big/ m_{0}^{b} , \ \overline{V}_{l} = V_{l} \big/ V_{l}^{b} \,, \end{split}$$

in which index "b" indicates the parameters of the base aircraft.

Using these dimensionless parameters, we simplify expression (5). Expression (7) makes it possible to establish the dependence of the growth of the relative mass  $\overline{m}_0^m$  and relative thrust-to-weight ratio  $\overline{t}_0^m$  on the value of relative decision-making speed  $\overline{V}_0^m$  when developing aircraft modifications (Fig. 3).



Fig. 3. Influence of relative variation in the takeoff weight of modification on relative value of speed  $V_1$ 

## Determination of Required Thrust-to-Weight Ratio of Heavy Aircraft Modifications

Considering the limitation on the minimum (1), (2) and maximum (4), (5) takeoff weight; by takeoff parameters (1) - (5), as well as by the required thrust of the power plant (3), (4), we obtain the range of acceptable values  $\bar{m}_0^m$ ,  $\bar{t}_0^m$  and  $\bar{V}_0^m$ , in which the existence of aircraft modifications is possible.

A rejected takeoff is considered as normal until the critical engine or aircraft systems that affect takeoff performance fail. After the pilot has made a decision (i.e.  $V_1$ ) the rejection of takeoff with braking to a complete stop begins.

It is known [5] that for the parameters of base aircraft  $m_0^b = 300$  t;  $t_0^b = 0.3$ ;  $C_{xtor} = 0.08$ ;  $C_{ylo} = 1.7$  a sufficiently accurate analytical expression for determining the rejected takeoff distance has the form:

$$L_{\text{rto}} = \frac{V_{1}^{2}}{2q} \left[ \frac{1}{K_{1}t_{0} - f_{r} - \frac{\rho_{0}C_{\text{xtor}}S_{w}}{6m_{0}}V_{1}} + \frac{K_{2}}{K_{1}\left(1 - \frac{1}{n_{e}}\right)r_{\text{rev}}t_{0} + f_{\text{red}} + \frac{\rho_{0}C_{x\,\text{tor}}S_{w}}{6m_{0}}V_{1}^{2}} \right].$$
(8)

One of the determining factors in the selection of main parameters of modifications is the condition of equality

$$\frac{L_{\text{rto}}^{\text{m}}}{L_{\text{rto}}^{\text{b}}} = \bar{L}_{\text{rto}}^{\text{m}} = 1.0$$
(9)

required distances of rejected takeoff of base aircraft (b) and its modifications.

Taking this condition, as well as using the relative values  $\bar{m}_0^m$ ,  $\bar{t}_0^m$  and  $\bar{V}_0^m$ , we transform (8) to the form:

$$L_{rto} = \frac{\left(\bar{V}_{l}^{b}\right)^{2} \bar{V}_{l}^{2}}{2q} \begin{bmatrix} \frac{1}{K_{1}t_{0}^{b}\bar{t}_{0} - f_{r} - \frac{\rho_{0}C_{xtor}S_{w}}{6m_{0}\bar{m}_{0}} \left(V_{l}^{b}\right)^{2} \bar{V}_{l}^{2}} + \frac{K_{2}}{K_{1}\left(1 - \frac{1}{n_{e}}\right)r_{rev}t_{0}^{b}\bar{t}_{0} + f_{red} + \frac{\rho_{0}C_{xtor}S_{w}}{6m_{0}\bar{m}_{0}} \left(V_{l}^{b}\right)^{2} \bar{V}_{l}^{2}} \end{bmatrix}.$$
 (10)

Replacing the second term in (10) from (7), we obtain the relationship of three relative values

$$L_{\text{rto}}^{b} = \begin{bmatrix} \frac{\left(V_{1o}^{b}\right)^{2} \overline{m}_{0} - \left(V_{1}^{b}\right)^{2} \overline{V}_{1}^{2}}{K_{1}\left(1 - \frac{1}{n_{e}}\right) t_{0}^{b} \overline{t}_{0} - f_{r} - \frac{\rho_{0}C_{\text{xtor}}S_{w}}{6m_{0}\overline{m}_{0}} \left(V_{1o}^{b}\right)^{2} \overline{m}_{0} + V_{1}^{b} V_{1o}^{b} \overline{V}_{1} \sqrt{\overline{m}_{0}} + \left(V_{1}^{b}\right)^{2} \overline{V}_{1}^{2}} + \frac{\left(V_{1}^{b}\right)^{2} \cdot \overline{V}_{1}^{2}}{K_{1} t_{0}^{b} \overline{t}_{0} + f_{r.} + \frac{\rho_{0}C_{x \text{tor}}S_{w}}{6m_{0}\overline{m}_{0}} \left(V_{1}^{b}\right)^{2} \overline{V}_{1}^{2}} + 2qL_{\text{RSA}} \end{bmatrix}$$
(11)

From relation (11), it is easy to obtain the desired dependence  $\overline{t}_0 = f(\overline{m}_0, \overline{V}_1)$  by introducing the references:

$$a_{2} = a_{1} + \frac{1}{3} \frac{C_{x \text{ tor}}}{C_{y \text{ lo}}} \left( 1 + \frac{V_{1}^{b}}{V_{1o}^{b}} \frac{\overline{V}_{1}}{\sqrt{\overline{m}_{0}}} \right).$$
(13)

$$a_{1} = f_{r} + \frac{1}{3} \frac{C_{x \text{ tor}} \left(V_{l}^{b}\right)^{2}}{C_{y \text{ lo}} \left(V_{lo}^{b}\right)^{2}} \frac{\overline{V}_{l}}{\overline{m}_{0}}; \qquad (12) \qquad \begin{array}{c} \text{They can be substituted in (11) with the subsequent transformation of this expression with respect to the transformation of the expression with the expression with respect to the transformation of the expression with respect to the transformation of the expression with the expression with respect to the transformation of the expression with respect to the transformation of the expression with the expre$$

$$2q\left(L_{rto}^{b} - L_{RSA}\right) = \frac{V_{1}^{b}\overline{V}_{1}^{2}}{K_{1}t_{0}^{b}\overline{t}_{0} - a_{1}} + \frac{\left(V_{1o}^{b}\right)^{2}\overline{m}_{0} - \left(V_{1}^{b}\right)^{2}V_{1}^{2}}{K_{1}\left(1 - \frac{1}{n_{e}}\right)t_{0}^{b}\overline{t}_{0} - a_{2}}$$
(14)

$$\overline{t}_{0}^{2} - \frac{2q\left(L_{rto}^{b} - L_{RSA}\right)\left(a_{1} - \frac{a_{1}}{n_{e}} + a_{2}\right) - \frac{\left(V_{1}^{b}\right)^{2} \overline{V}_{1}^{2}}{n_{e}} + \left(V_{1o}^{b}\right)^{2} \overline{m}_{0}}{2q\left(L_{rto}^{b} - L_{RSA}\right)K_{1}\left(1 - \frac{1}{n_{e}}\right)t_{0}^{b}} \overline{t}_{0} + \frac{2q\left(L_{rto}^{b} - L_{RSA}\right)a_{1}a_{2} + \left(V_{1}^{b}\right)^{2}(a_{2} - a_{1})\overline{V}_{1}^{2} + \left(V_{1o}^{b}\right)^{2}a_{1}\overline{m}_{0}}{2q\left(L_{rto}^{b} - L_{RSA}\right)K_{1}^{2}\left(1 - \frac{1}{n_{e}}\right)\left(t_{0}^{b}\right)^{2}} = 0.$$
(15)

It is obvious that formula (15) includes the parameters of both the base aircraft (index "b") and modified aircraft. If we substitute the basic parameters of base aircraft into it  $L_r^b = 1716$  m,  $L_{RSA} = 300$  m,  $V_1^b = 65$  m/s and  $V_{tor}^b = 71.828$  m/s, then it is:

$$\overline{t}_{0}^{2} - \left(0.277 + 0.077 \frac{\overline{V}_{1}}{\sqrt{\overline{m}_{0}}} + 0.123 \frac{\overline{V}_{1}^{2}}{\overline{m}_{0}} - 0.208 \overline{V}_{1}^{2} + 1.015 \overline{m}_{0}\right) \overline{t}_{0} + 0.016 + 0.006 \frac{\overline{V}_{1}}{\sqrt{\overline{m}_{0}}} + 0.016 \frac{\overline{V}_{1}^{2}}{\overline{m}_{0}} + 0.006 \frac{\overline{V}_{1}}{\sqrt{\overline{m}_{0}}} + 0.004 \frac{\overline{V}_{1}^{3}}{\overline{m}_{0}\sqrt{\overline{m}_{0}}} + 0.004 \frac{\overline{V}_{1}^{3}}{\overline{m}_{0}^{2}} + 0.004 \frac{\overline{V}_{1}^{4}}{\overline{m}_{0}^{2}} + 0.107 \overline{V}_{1}^{2} + 0.048 \frac{\overline{V}_{1}^{3}}{\overline{m}_{0}} + 0.083 \overline{m}_{0} = 0.$$
(16)

Parametric variation of  $\overline{V}_1$  and  $\overline{m}_0$  allows to obtain a numerical interpretation of expression (16) presented in Table 1.

Table 1

Numerical values of dependence  $\bar{t}_0 = f(\bar{m}_0, \bar{V}_1)$  when modifying the base aircraft with the parameters shown in Fig. 3, at  $\bar{L}_{rto} = 1.0$ 

| $\overline{\mathrm{m}}_{\mathrm{0}}$ | $\overline{V}_1$ |       |       |       |       |       |       |       |
|--------------------------------------|------------------|-------|-------|-------|-------|-------|-------|-------|
|                                      | 0                | 0.5   | 0.8   | 0.9   | 1.0   | 1.1   | 1.2   | 1.3   |
| 0.4                                  | 0.601            | 0.582 |       |       |       |       |       |       |
| 0.5                                  | 0.703            | 0.689 |       |       |       |       |       |       |
| 0.6                                  | 0.804            | 0.789 | 0.64  |       |       |       |       |       |
| 0.7                                  | 0.906            | 0.891 | 0.779 | 0.684 |       |       |       |       |
| 0.8                                  | 1.007            | 0.993 | 0.893 | 0.828 | 0.722 |       |       |       |
| 0.9                                  | 1.109            | 1.092 | 1.005 | 0.950 | 0.875 | 0.756 |       |       |
| 1.0                                  | 1.210            | 1.193 | 1.110 | 1.062 | 1.000 | 0.914 | 0.759 |       |
| 1.1                                  | 1.312            | 1.294 | 1.214 | 1.171 | 1.117 | 1.045 | 0.943 | 0.774 |
| 1.2                                  | 1.413            | 1.395 | 1.317 | 1.275 | 1.226 | 1.163 | 1.080 | 0.960 |
| 1.3                                  | 1.515            | 1.495 | 1.421 | 1.382 | 1.335 | 1.276 | 1.201 | 1.107 |
| 1.4                                  | 1.616            | 1.595 | 1.521 | 1.483 | 1.439 | 1.384 | 1.316 | 1.236 |

The same data is shown in Fig. 4. In addition, zone (1-2-3-4-5-1) of the dependence  $\overline{t}_0 = f(\overline{m}_0, \overline{V}_1)$  at  $\overline{L}_{rto} = 1.0$  formed by the following constraints (boundary conditions) is as follows:

Line 1-2 - limitations on the conditions of possible aircraft operation (for example, decrease in the takeoff weight of base aircraft when it is not fully loaded with fuel or payload). In this case, the restriction  $\bar{m}_{0 \text{min}} = 0.78$ , that is 234 tons instead of  $m_0 = 300$  t has been taken.

1. Line 2-3 - limitation  $\overline{V}_1 = 0$ . Under this condition, Eq. (16) turns into the dependence  $\overline{m}_0 = 0.985 \overline{t}_0 - 0.192$ , which can be considered as a completed takeoff run with one critical engine failure at the time of aircraft takeoff.

This example requires the distance of the completed takeoff run.

 $L_{rctod} = L_{rto} - L_{RSA} = 1716 - 300 = 1416 \text{ m}$ both for the base aircraft and for all its modifications.

2. Line 3-4 - limitations on the available opportunities to increase the required thrust of the power plant,



Fig. 4. Dependency  $\overline{t}_0^m = f\left(\overline{m}_0^m; \overline{V}_1^m\right)$  when Designing Modifications by Condition  $\overline{L}_{rto} = 1.0$ 

and, consequently, the power-to-weight ratio of the aircraft  $\overline{t_0}_{max} = 1.28$ .

Increase in the required thrust of the aircraft power plant within the considered relative limits  $1.0 < \overline{t_0} \le 1.28$  can be provided both by automatic activation of forced operation mode, and by the possibility of installation of powerful engines on modifications.

3. Line 4-5 - limitations on aircraft mass based on strength conditions are determined by the most severe cases of loading of various aircraft components (wing, empennage, landing gear, etc.) by operating modes. In this case, it is accepted  $\bar{m}_{0max} = 1.26$ .

4. Line 5-1 - limitation  $V_1 = V_{10}$ . This limitation gives the dependence:

$$\begin{split} \mathbf{V}_{l}^{b} \overline{\mathbf{V}}_{l} &= \mathbf{V}_{lo}^{b} \overline{\mathbf{V}}_{lo} = \mathbf{V}_{lo}^{b} \overline{\mathbf{m}}_{0} \\ \\ \overline{\mathbf{m}}_{0} &= \frac{\left(\mathbf{V}_{l}^{b}\right)^{2}}{\left(\mathbf{V}_{lo}^{b}\right)^{2}} \overline{\mathbf{V}}_{l}^{2} \end{split}$$

or  $\bar{m}_0 = 0.819 \bar{V}_1^2$ , which should be considered as a completed takeoff run with one critical engine inoperative at the moment of aircraft liftoff.

Shown in Fig. 3 data combined with dependencies  $\overline{V}_1 = f(\overline{m}_0, \overline{t}_0)$  shown in Fig. 2, give the designer a complete idea of the available takeoff weight  $\overline{m}_0^b$  variation of modified aircraft, its thrust-to-weight ratio and speed  $\overline{V}_1$  while maintaining one of the main parameters – the rejected takeoff distance, which has a decisive influence on the determination of the modification base aerodromes.

#### Conclusions

1. Along with the flight performance and economic indicators of heavy transport aircraft, the priority is given to the conditions of basing at class A and B airfields, which have the longest available runways.

2. Since the takeoff masses of this type of aircraft modification continue to increase, the problem arises to ensure their basing on the runways of existing airfields by forming at the design stage the relationship takeoff mass  $m_0^m$  – decision-making speed,  $V_l^m$ , - thrust-to-weight ratio  $t_0$ , providing the basing of a heavier modification at the declared airfield for the base aircraft  $L_{RWY}^m = L_{RWY}^b$ .

3. To implement this condition, a model has been developed for determining the speed  $V_1^m$  at which it is possible to safely terminate the takeoff run in the event of a critical engine failure. The resulting model allows to take into account a number of limitations due to the properties of a heavy aircraft, such as minimum and maximum takeoff masses, in terms of takeoff parameters and thrust of cruise engines, which makes it possible to make reasonable recommendations in the rules of flight operation of this type aircraft.

4. Taking into account the expressions obtained for the evaluation of  $V_1^m$  a model for determining and quantifying the required thrust-to-weight ratio has been formed  $(\overline{t}_0(m_0^m, V_1^m))$  by condition  $L_{RWY}^m = L_{RWY}^b$ for modification with takeoff weight of more than 300 tons. It was found that the value of the mass should be within the limits  $1.0 < \overline{t}_0 \le 1.26$  as  $m_0^m$ ,  $V_1^m$ ,  $t_0^m$  is the basis for the formation of other most important parameters of heavy aircraft modifications at the stage of their design.

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### ФОРМУВАННЯ ОБЛАСТЕЙ ОСНОВНИХ ПАРАМЕТРІВ МОДИФІКАЦІЙ ТРАНСПОРТНОГО ЛІТАКА ЗА УМОВАМИ ЙОГО БАЗУВАННЯ

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Поряд з унікальними льотно-технічними та економічними показниками, що характеризують важкі транспортні літаки, пріоритетним є також забезпечення базування для їх більш важких модифікацій на аеродромах, що заявлені для базового літака. Ця проблема виникає на самому ранньому етапі створення модифікації, коли формуються основні її параметри, такі як стартова маса (m<sub>0</sub><sup>M</sup>) і тягооснащеність (t<sub>0</sub><sup>M</sup>). Пов'язано це з самою суттю створення модифікації - підвищення її вантажопідйомності (що призводить до зростання стартової маси  $m_0^M$  і дальності польоту ( $L^M$ ) зі збільшеним корисним навантаженням ( $m_{K,H}^M$ ) шляхом збільшення маси палива на борту. Забезпечення зростання рейсової ( $m_{IH}^M L^M$ ) і часової ( $m_0^M V_{\text{крейс}}$ ) продуктивності лежить в основі створення всіх модифікацій літаків транспортної категорії. Для більш важких модифікацій, ніж їх базовий літак, ускладнюється ще й тим, що самі базові моделі базуються на злітно-посадкові смуги аеродромів другого і першого класу, що створює непереборне обмеження за існуючою довжиною злітно-

посадкової смуги. Другим обмеженням виступає величина швидкості прийняття рішення (V<sub>1</sub>) при розбігу, при відмові критичного двигуна на розбігу при зльоті, яка і визначає потрібну довжину злітно-посадкової смуги. Оскільки злітні маси модифікацій літаків цього типу продовжують зростати, то виникає проблема їх базування на злітно-посадкових смугах існуючих аеродромів шляхом формування на етапі проектування

взаємозв'язку «злітна маса» (m<sub>0</sub><sup>M</sup>) - швидкість прийняття рішення при відмові критичного двигуна (V<sub>1</sub><sup>M</sup>) -

тягооснащеність ( t<sub>0</sub><sup>M</sup> ), що забезпечує базування важчій модифікації на аеродромі, заявленому для базового

літака ( L<sup>M</sup><sub>BПП</sub> = L<sup>6</sup><sub>BПП</sub>). Для реалізації такої умови розроблена модель визначення швидкості ( V<sup>M</sup><sub>l</sub>), при якій можливо безпечне припинення розбігу при відмові критичного двигуна. Отримана модель дозволяє врахувати ряд обмежень, зумовлених властивостями важкого літака, таким як мінімальна і максимальна величина тяги маршових двигунів, що дозволяє внести обгрунтовані рекомендації до правил експлуатації літаків цьо-

го типу. З урахуванням виразів, отриманих для визначення ( V1<sup>M</sup>), сформована модель визначення та оцінки

потрібної тягооснащеності важчої модифікації ( $t_0^M$ , ( $m_0^M$ ,  $V_1^M$ ) за умовою ( $L_{B\Pi\Pi}^M = L_{B\Pi\Pi}^{\delta}$ ) для модифікацій зі злітною масою понад 300 т. Встановлено, що потрібна відносна величина тягооснащеності повинна знаходитися в межах ( $0 < \bar{t}_0 \le 1,26$ ). Визначення таких параметрів, як  $m_0^M$ ,  $V_1^M$  і  $\bar{t}_0^M$  є основою для реалізації інших модифікаційних змін в важкому транспортному літаку.

Ключові слова: важкий транспортний літак; модифікації; швидкість прийняття рішення; тягооснащеність; умови базування; посадкові характеристики.

## ФОРМИРОВАНИЕ ОБЛАСТЕЙ ОСНОВНЫХ ПАРАМЕТРОВ МОДИФИКАЦИЙ ТРАНСПОРТНОГО САМОЛЕТА ПО УСЛОВИЯМ ЕГО БАЗИРОВАНИЯ

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Наряду с уникальными летно-техническими и экономическими показателями, характеризующими тяжелые транспортные самолеты, приоритетным является также обеспечение базирования для их более тяжелых модификаций на аэродромах, заявленных для базового самолета. Эта проблема возникает на самом раннем этапе создания модификации, когда формируются основные её параметр. такие как стартовая масса (m<sup>M</sup><sub>0</sub>) и тяговооруженность (t<sup>M</sup><sub>0</sub>). Связано это с самой сутью создания модификации – повышения её грузоподъемности (что приводит к росту стартовой массы m<sup>M</sup><sub>0</sub> и дальности полета (L<sup>M</sup>) с увеличенной полезной нагрузкой ( m<sup>M</sup><sub>K,H</sub> ) путем увеличения массы топлива на борту. Обеспечение роста рейсовой ( m<sup>M</sup><sub>III</sub>L<sup>M</sup> ) и часовой ( moVkpeйc), производительности лежит в основе создания всех модификаций самолетов транспортной категории. Для более тяжелых модификаций, чем их базовый самолет, осложняется еще и тем, что сами базовые модели базируются на взлетно-посадочные полосы аэродромов второго и первого класса, что создает непреодолимое ограничение по располагаемой длине взлетно-посадочной полосы. Вторым ограничением выступает величина скорости принятия решения ( V1 ) при разбеге, при отказе критического двигателя на разбеге при взлете, которая и предопределяет потребную длину взлетно-посадочной полосы. Поскольку взлетные массы модификаций самолетов этого типа продолжают возрастать, то возникает проблема их базирования на взлетно-посадочных полосах существующих аэродромов путем формирования на этапе проектирования взаимосвязи «взлетная масса» ( m<sub>0</sub><sup>M</sup>) – скорость принятия решения при отказе критического двигателя ( V<sub>1</sub><sup>M</sup> ) – тяговооруженность ( t<sub>0</sub><sup>M</sup> ), обеспечивающей базирование более тяжелой модификации на аэродроме, заявленном для базового самолета (  $L_{B\Pi\Pi}^{M} = L_{B\Pi\Pi}^{\delta}$ ). Для реализации такого условия разработана модель определения скорости ( V1<sup>M</sup>), при которой возможно безопасное прекращение разбега при отказе критического двигателя. Полученная модель позволяет учесть ряд ограничений, обусловленных свойствами тяжелого самолета, таким и как минимальная и максимальная величина тяги маршевых двигателей, что позволяет внести обоснованные рекомендации в правила эксплуатации самолетов этого типа. С учетом выражений, полученных для определения ( $V_1^M$ ), сформирована модель определения и оценки потребной тяговооруженности более тяжелой модификации ( $t_o^M$ , ( $m_o^M$ ,  $V_l^M$ ) по условию ( $L_{BIIII}^M = L_{BIIII}^{\tilde{G}}$ ) для модификаций со взлетной массой более 300 т. Установлено, что потребная относительная величина тяговооруженности должна находиться в пределах ( $0 < \bar{t}_o \le 1, 26$ ). Определение таких параметров, как  $m_o^M$ ,  $V_l^M$  и  $\bar{t}_o^M$  является основой для реализации других модификационных изменений в тяжелом транспортном самолете.

**Ключевые слова:** тяжелый транспортный самолет; модификации; скорость принятия решения; тяговооруженность; условия базирования; посадочные характеристики.

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